

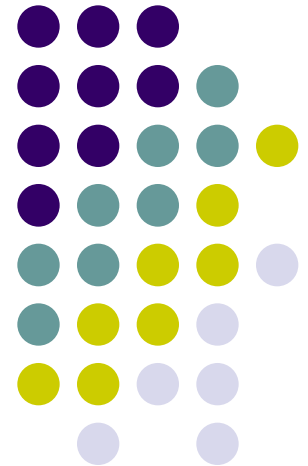
# Adaptive Software Speculation for Enhancing the Cost-Efficiency of Behavior-Oriented Parallelization

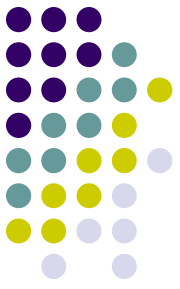
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Yunlian Jiang

Xipeng Shen

The College of William and Mary





# High-level Parallelism

- Parallel computing is becoming ubiquitous
- High-level parallelism exists in many programs
  - E.g. utilities, interpreters, scientific computations
  - Difficult to parallelize

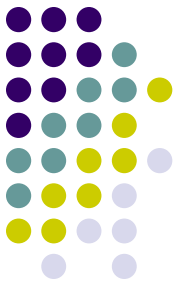
## Complexity in the code

Bit-level operations,  
unrestricted pointers,  
exception handling,  
custom mem. management,  
third-party libraries

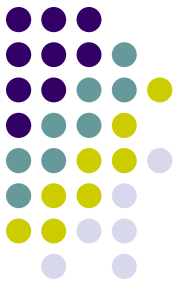
## Uncertain parallelism

Example\*:  
while ( s=nextSentence() )  
{ parse(s);  
  if ( isCommand(s) )  
    updateParsingEnv(s);  
}

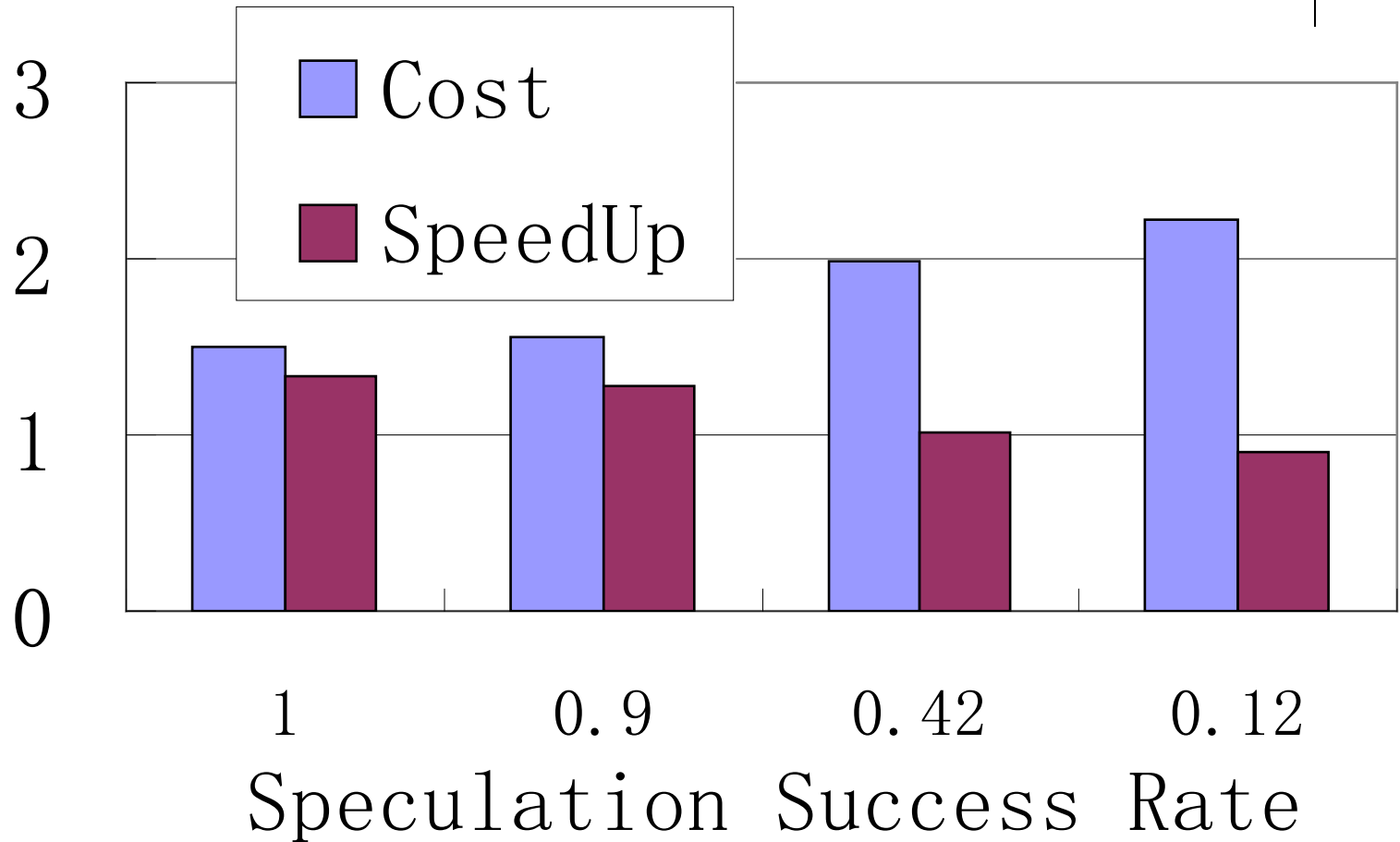
# Software Behavior-Oriented Parallelization [Ding+:PLDI07]



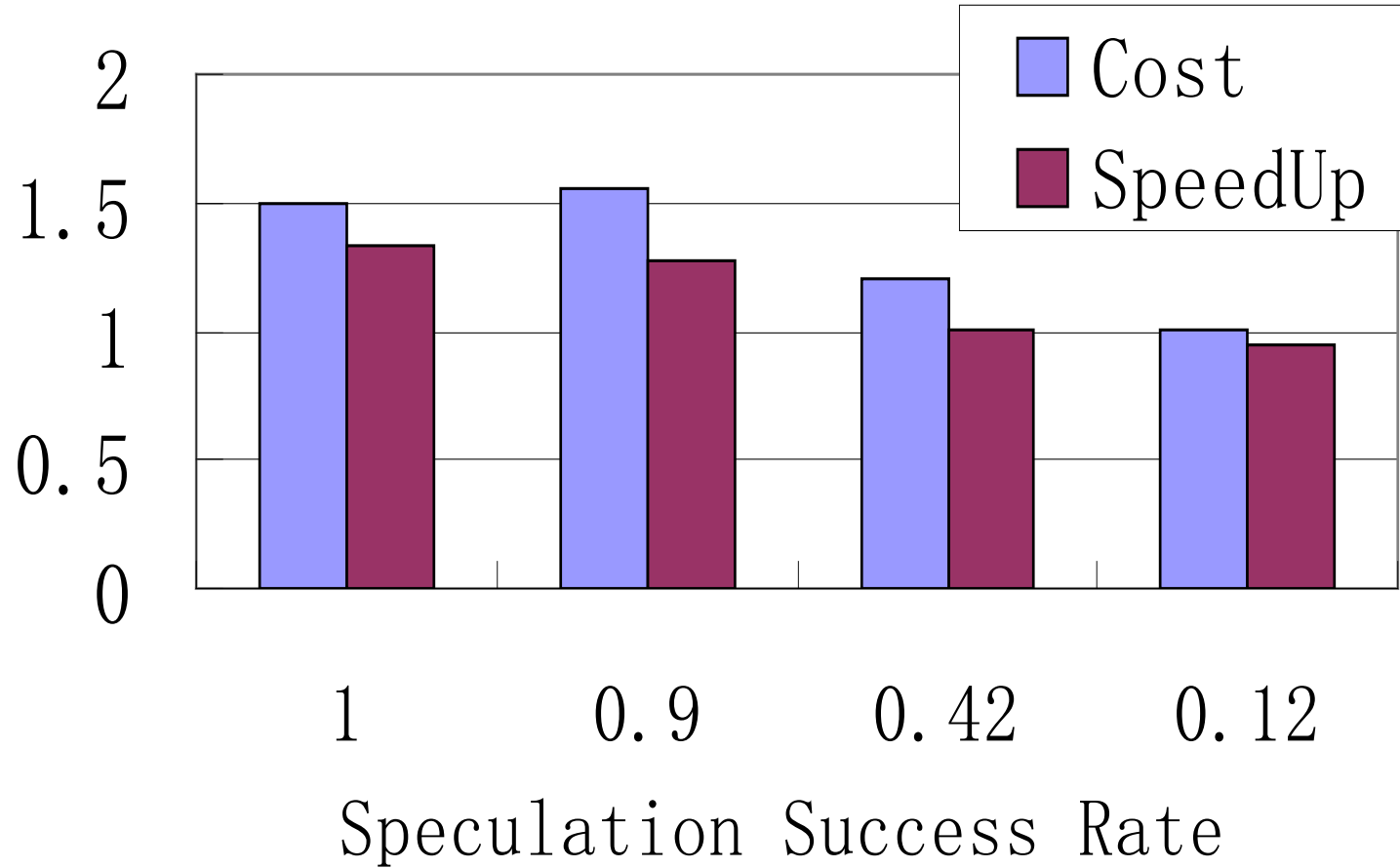
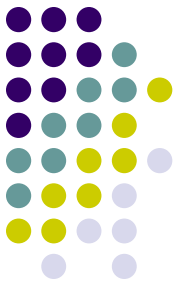
- Speculatively execute programs in parallel
- Efficiently detect dependence during runtime
- But, blind speculation causes **cost-inefficiency**.



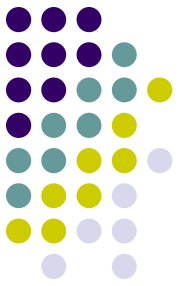
# Cost and Speedup



# Cost and Speedup

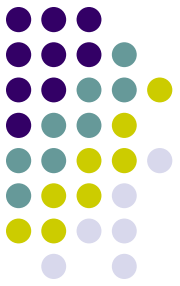


# Outline



- Introduction to BOP
- Adaptive BOP
- Experimental Result
- Conclusion

# Outline



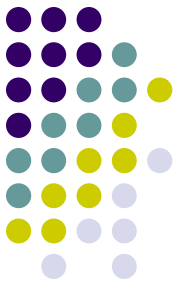
- Introduction to BOP
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- Conclusion

# Behavior-Oriented Parallelization (BOP)

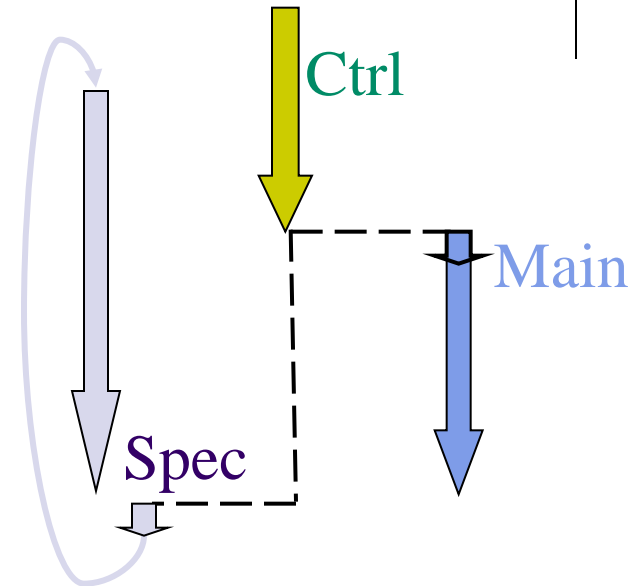
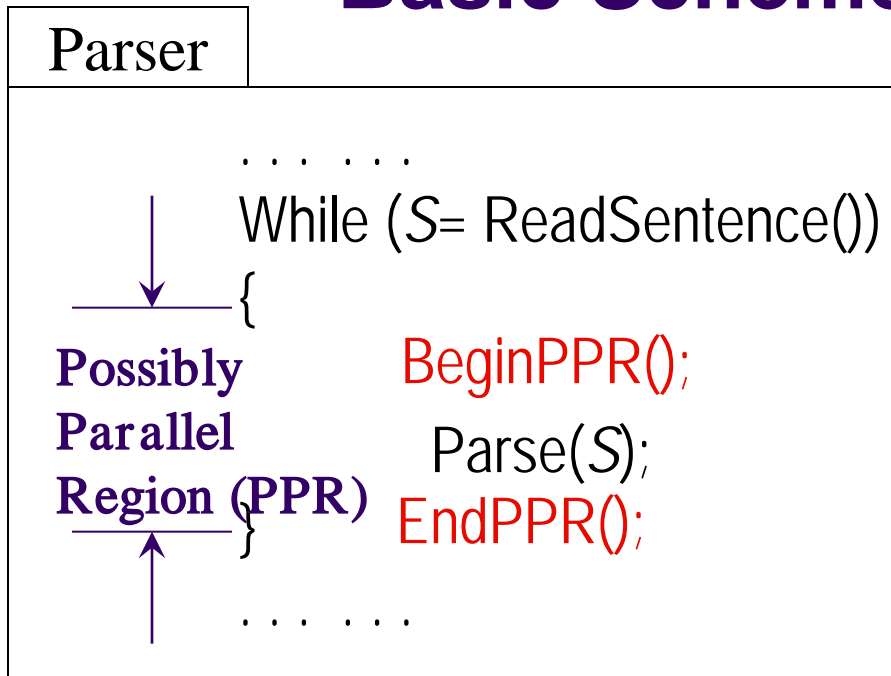


- A tool for parallelizing sequential programs
- Need no parallel programming or debugging
- Basic scheme: software speculation
- Correctness protected through runtime system



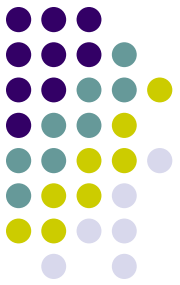


# Basic Scheme of BOP



Two reason for failed speculation:

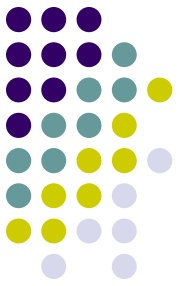
1. Dependence violation
2. Spec runs too slow



# Problem to tackle

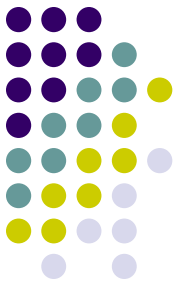
- Cost inefficiency
  - BOP blindly speculates every PPR instance
  - Failed speculation may
    - Cause slowdown to applications
      - Protection overhead
      - Resource (cache, bus) contention
    - Waste computing resources
      - CPU --- multi-programming environment
      - Power --- Mobile computing

# Outline

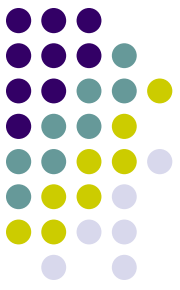


- Introduction to BOP
- **Adaptive BOP**
- Experimental Result
- Conclusion

# Solution: Adaptive Speculation



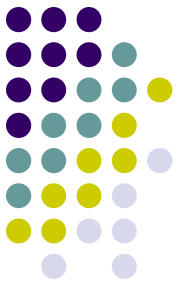
- Basic strategy
  - Predict profitability of PPR
  - Speculate only likely profitable ones
- Prediction approaches
  - Extended last-value-based
  - Decayed-history-based



# Extended last-value-based prediction

- Speculate or not?
  - Speculate only if **PPRsToSkip** == 0.
- Adjust **PPRsToSkip**
  - If this PPR is not speculated
    - **PPRsToSkip** - -
  - On a failed speculation
    - **PPRsToSkip** = NextPenalty;
    - NextPenalty \*=  $\alpha$ ; (*increase penalty exponentially*)
  - On a successful speculation
    - NextPenalty = 1; (*reset the penalty on the next failure*)

# Extended last-value-based prediction



| : Profitable PPR

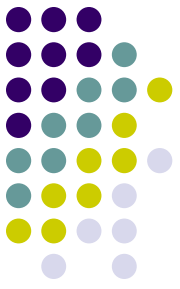
| : Unprofitable PPR



Speculation!  
Success  
NextPenalty = 1

- PPRsToSkip=0
- NextPenalty=1
- $\alpha=2$

# Extended last-value-based prediction



| : Profitable PPR

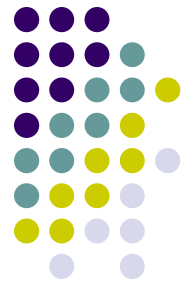
| : Unprofitable PPR



- PPRsToSkip=0
- NextPenalty=1
- $\alpha=2$

Speculation!  
Failed  
PPRsToSkip = 1  
NextPenalty = 2

# Extended last-value-based prediction



| : Profitable PPR

| : Unprofitable PPR

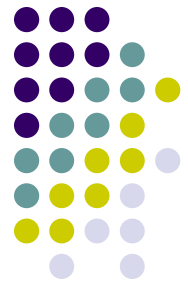


No Speculation!  
PPRsToSkip = 0

- PPRsToSkip=1
- NextPenalty=2
- $\alpha=2$



# Extended last-value-based prediction



| : Profitable PPR

| : Unprofitable PPR



Speculation!  
Failed  
PPRsToSkip = 2  
NextPenalty = 4

- PPRsToSkip=0
- NextPenalty=2
- $\alpha=2$

# Extended last-value-based prediction



| : Profitable PPR

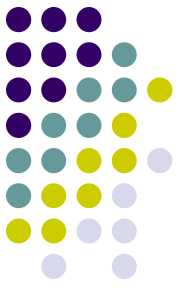
| : Unprofitable PPR



No Speculation!  
PPRsToSkip = 1

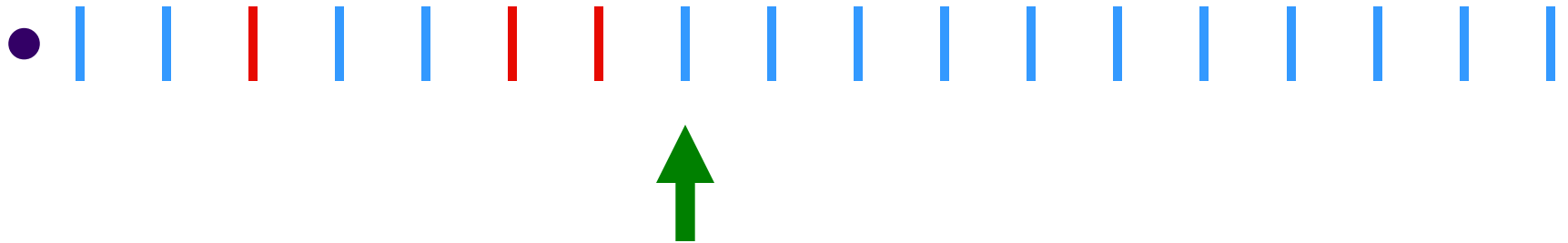
- PPRsToSkip=2
- NextPenalty=4
- $\alpha=2$

# Extended last-value-based prediction



| : Profitable PPR

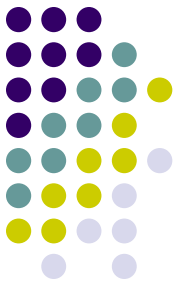
| : Unprofitable PPR



No Speculation!  
PPRsToSkip = 0

- PPRsToSkip=1
- NextPenalty=4
- $\alpha=2$

# Extended last-value-based prediction



| : Profitable PPR

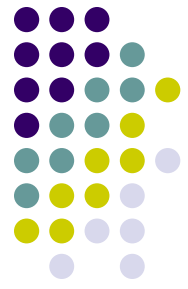
| : Unprofitable PPR



Speculation!  
Success  
NextPenalty = 1

- PPRsToSkip=0
- NextPenalty=4
- $\alpha=2$

# Extended last-value-based prediction



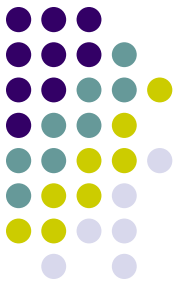
| : Profitable PPR

| : Unprofitable PPR



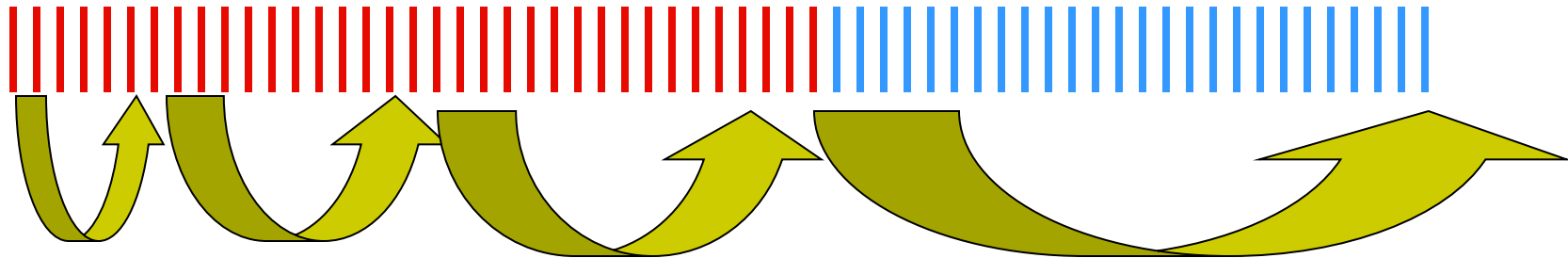
Speculation!  
Success  
NextPenalty = 1

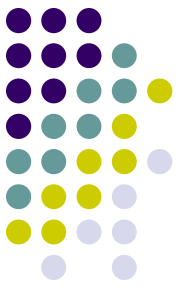
- PPRsToSkip=0
- NextPenalty=1
- $\alpha=2$



# Extended last-value-based prediction

- Limitations
  - Can not keep history well
    - Successful speculation  
→ clean history
  - Phase changes





# Decayed-history-based prediction

- Cumulative gain (*CG*)

- $cg = \gamma * g + (1 - \gamma) * cg$

$$g = \begin{cases} 1 & \text{: success} \\ 0 & \text{: failed} \end{cases}$$

- Expected Profitability (*EP*)

- $EP = cg + SkippedPPRs * \beta$

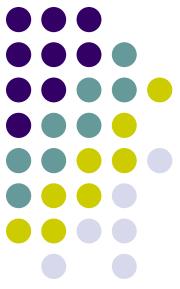
- Speculate only if  $EP > TH_{EP}$

\*  $TH_{EP}$  : threshold of speculation;

\* SkippedPPRs: reset to 0 on a success

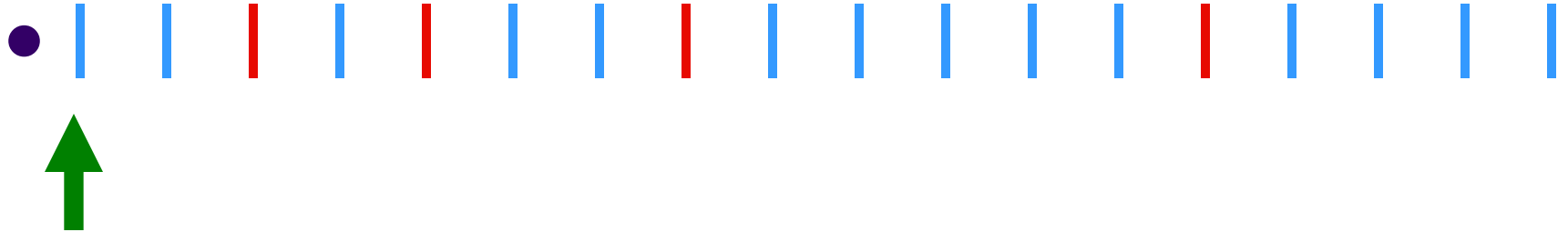
increase by 1 on a non-speculated PPR

# Decayed-history-based prediction



| : Profitable PPR

| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- Skipped PPRs = 0
- $cg = 1$
- $EP = 1$

Speculation!  
Success  
 $cg = 1$   
 $EP = 1$

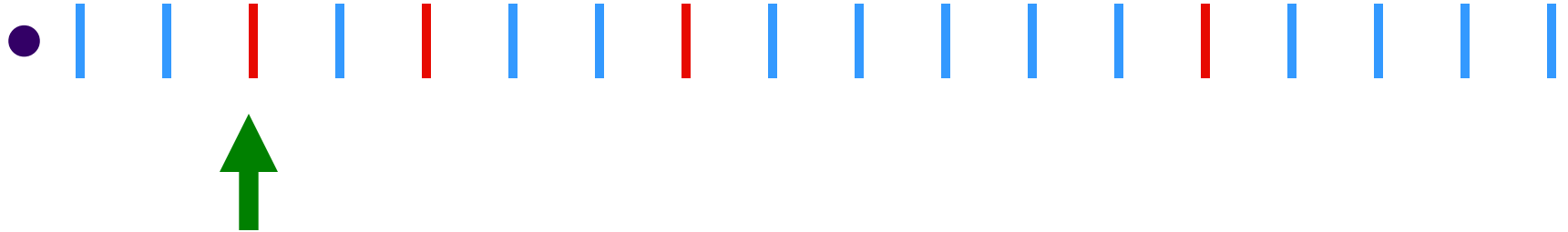


# Decayed-history-based prediction



| : Profitable PPR

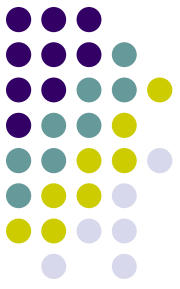
| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- Skipped PPRs = 0
- $cg = 1$
- $EP = 1$

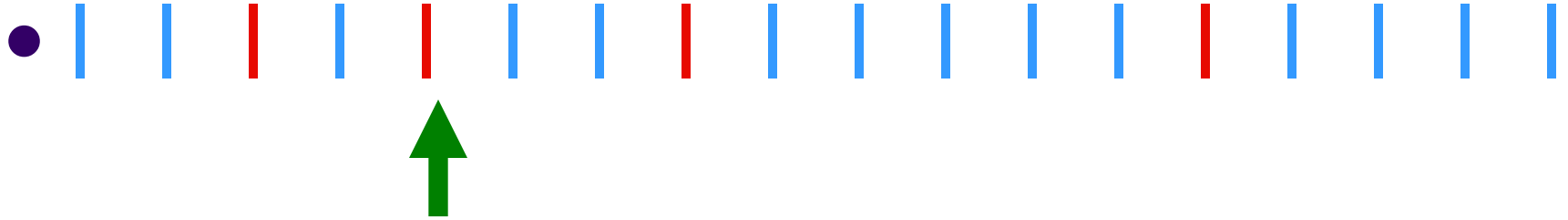
Speculation!  
Failed  
 $cg = 0.5$   
 $EP = 0.5$

# Decayed-history-based prediction



| : Profitable PPR

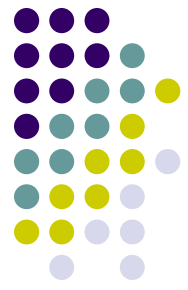
| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- SkippedPPRs=0
- $cg = 0.5$
- $EP = 0.5$

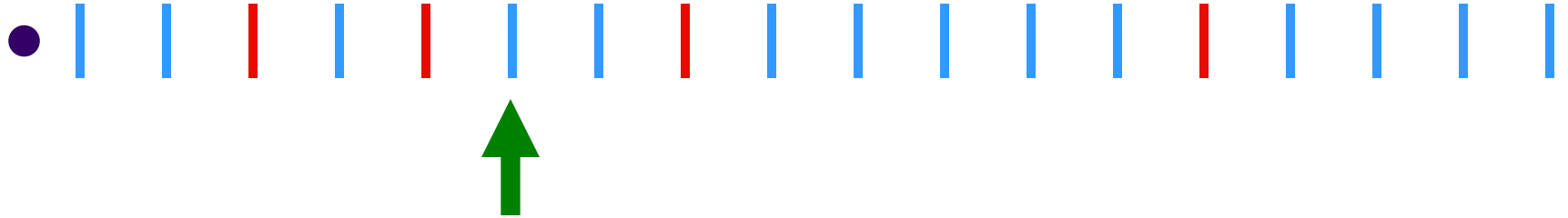
No Speculation!  
SkippedPPRs=1  
 $EP = 0.7$

# Decayed-history-based prediction



| : Profitable PPR

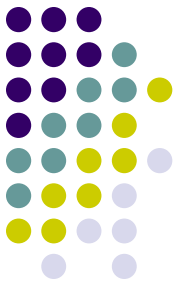
| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- SkippedPPRs=1
- $cg = 0.6$
- $EP = 0.7$

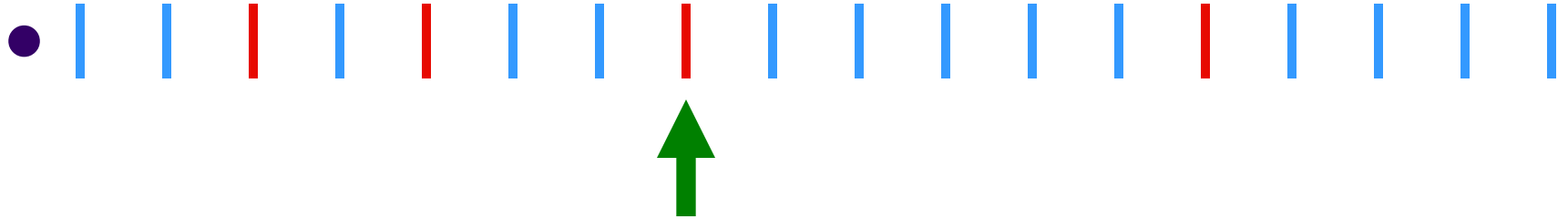
Speculation!  
Success  
SkippedPPRs=0  
 $cg = 0.8$   
 $EP = 0.8$

# Decayed-history-based prediction



| : Profitable PPR

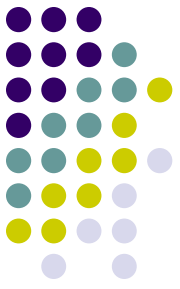
| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- Skipped PPRs = 0
- $cg = 0.8$
- $EP = 0.8$

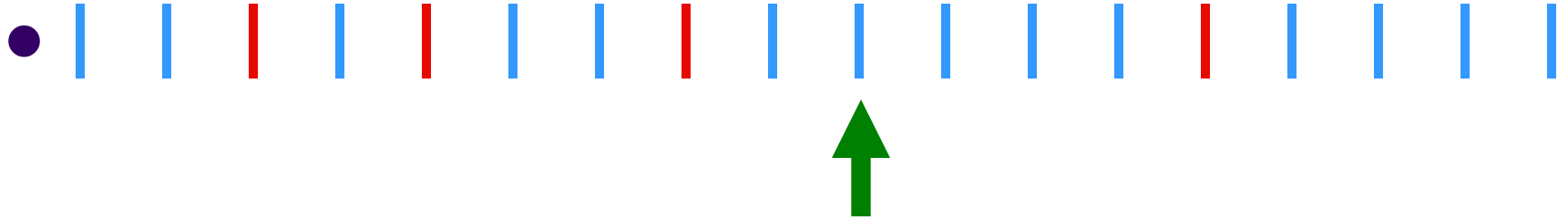
Speculation!  
Failed  
 $cg = 0.4$   
 $EP = 0.4$

# Decayed-history-based prediction



| : Profitable PPR

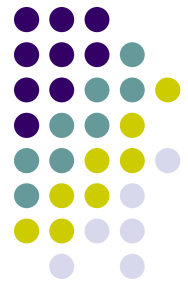
| : Unprofitable PPR



- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- SkippedPPRs = 0
- $cg = 0.4$
- $EP = 0.4$

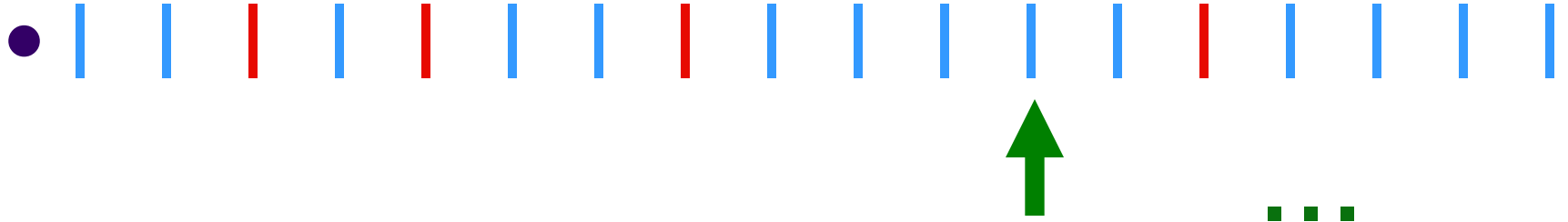
No Speculation!  
SkippedPPRs = 1  
 $EP = 0.6$

# Decayed-history-based prediction



| : Profitable PPR

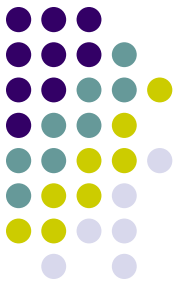
| : Unprofitable PPR



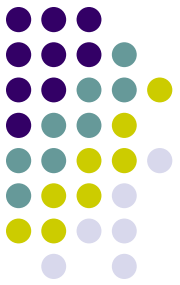
- $TH_{EP} = 0.6$
- $\beta = 0.2$
- $\gamma = 0.5$
- Skipped PPRs = 1
- $cg = 0.4$
- $EP = 0.6$

Speculation!  
Success  
Skipped PPRs = 0  
EP = 0.7

# Outline



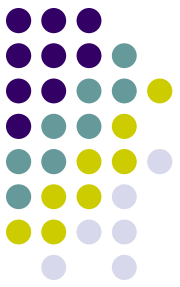
- Introduction
- Adaptive-Algorithms
- **Experimental Result**
- Conclusion



# Experimental Result

- Prediction Accuracy
  - Choose the best parameters for the algorithms
  - Evaluate two algorithms
- Computation Efficiency
  - Finishing time
  - Time spent on all CPUs (Cost)



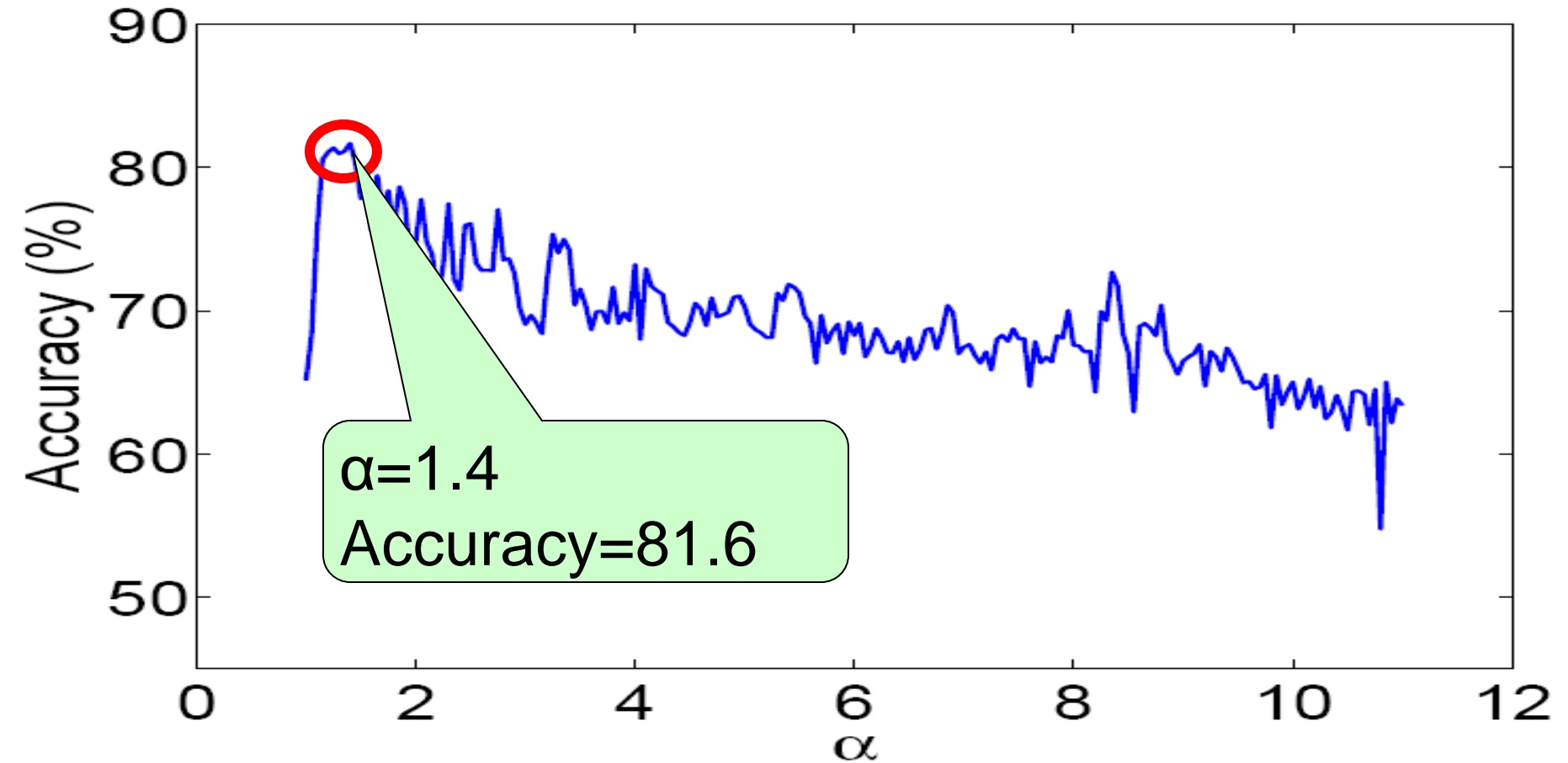
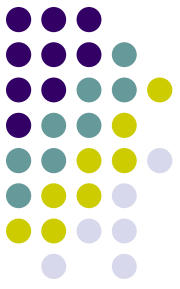


# Accuracy for Last-value-based

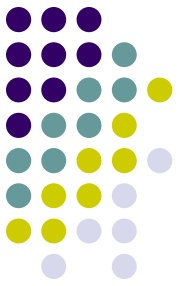
- Adjust non-speculate numbers
  - Non-speculation
    - PPRsToSkip -1
  - Success Speculation
    - NextPenalty= 1
  - Failed Speculation
    - PPRsToSkip = NextPenalty
    - NextPenalty \*=  $\alpha$



# Accuracy for Last-value-based



# Accuracy for Decayed history based



- G\_TH : gain threshold
- Current state weight
  - gain+ quota\* $\beta$
  - Non-speculative execution
    - quota++
  - Speculative execution
    - gain =  $\gamma * g + (1-\gamma) * \text{gain}$
    - quota  $\rightarrow 0$



# Accuracy for Decayed history based

- Cumulative gain (*CG*)

- $cg = \gamma * g + (1-\gamma) * cg$

$$g = \begin{cases} 1 & \text{: success} \\ 0 & \text{: failed} \end{cases}$$

- Expected Profitability (*EP*)

- $EP = cg + SkippedPPRs * \beta$

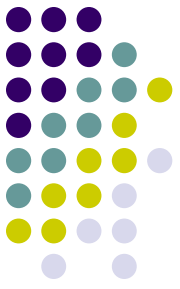
- Speculate only if  $EP > TH_{EP}$

\*  $TH_{EP}$  : threshold of speculation;

\* SkippedPPRs: reset to 0 on a success

increase by 1 on a non-speculated PPR

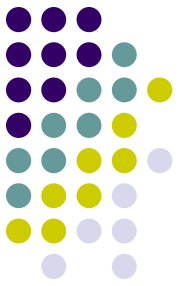
# Accuracy for Decayed history based



- $TH_{EP} = 0.25$
- $\beta = 0.0075$
- $\gamma = 0.4$

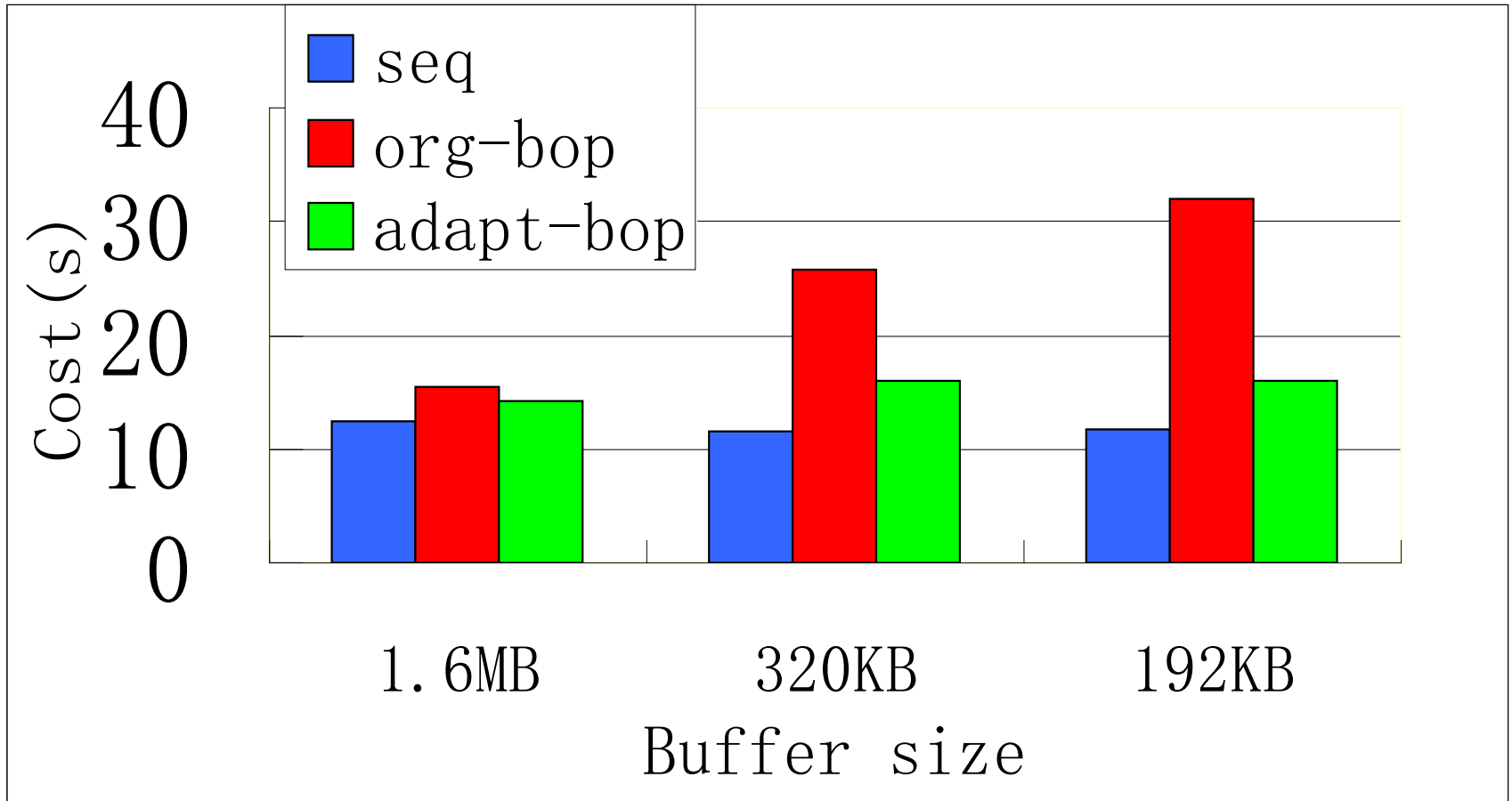
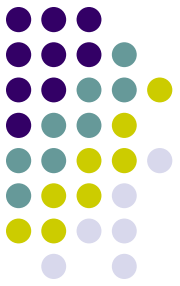
→ Accuracy = 85.6%

# Computation Efficiency

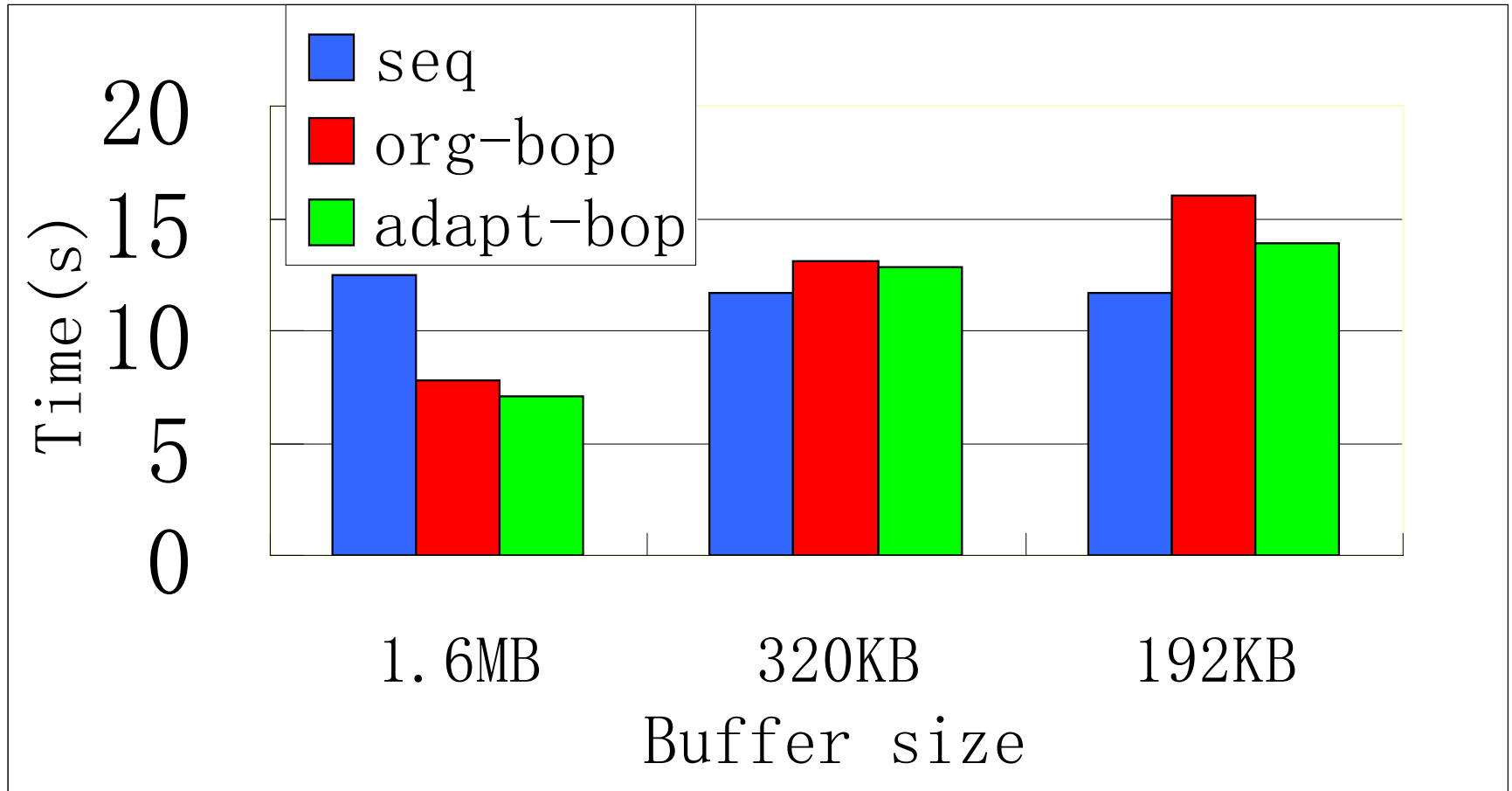
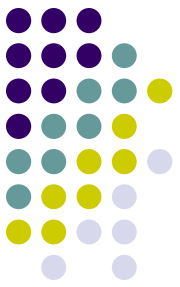


- Machine: Intel Pentium-D dual-core processors
- Compiler: gcc4.1
- Benchmarks
  - Gzip, Parser, Reduction
- Metrics
  - Cost
    - Total running time of all the processes
  - Time
    - Finishing time of a program

# Efficiency comparison on gzip

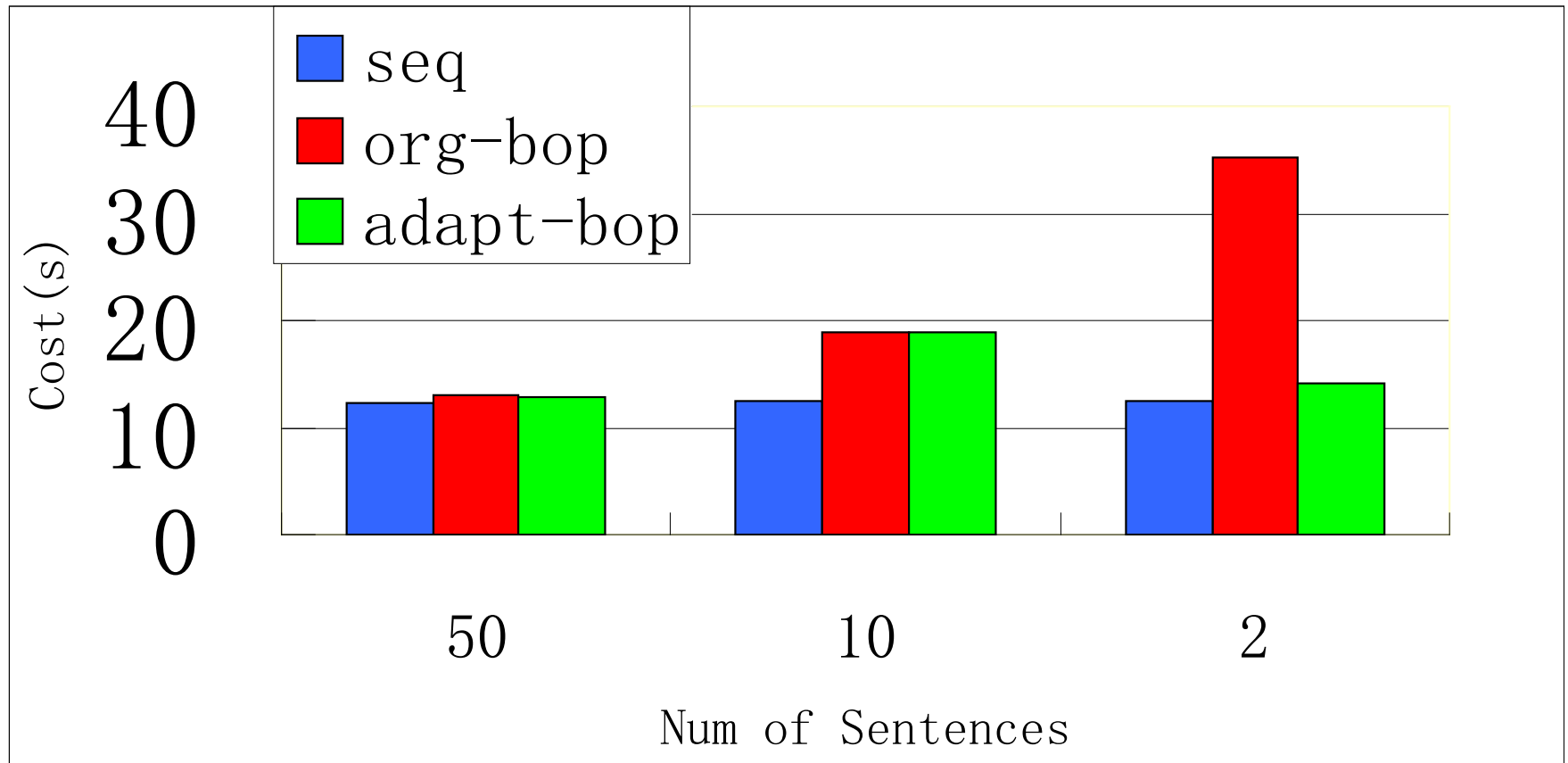
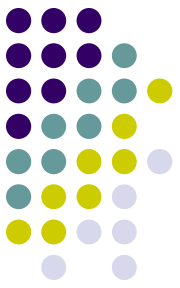


# Efficiency comparison on gzip

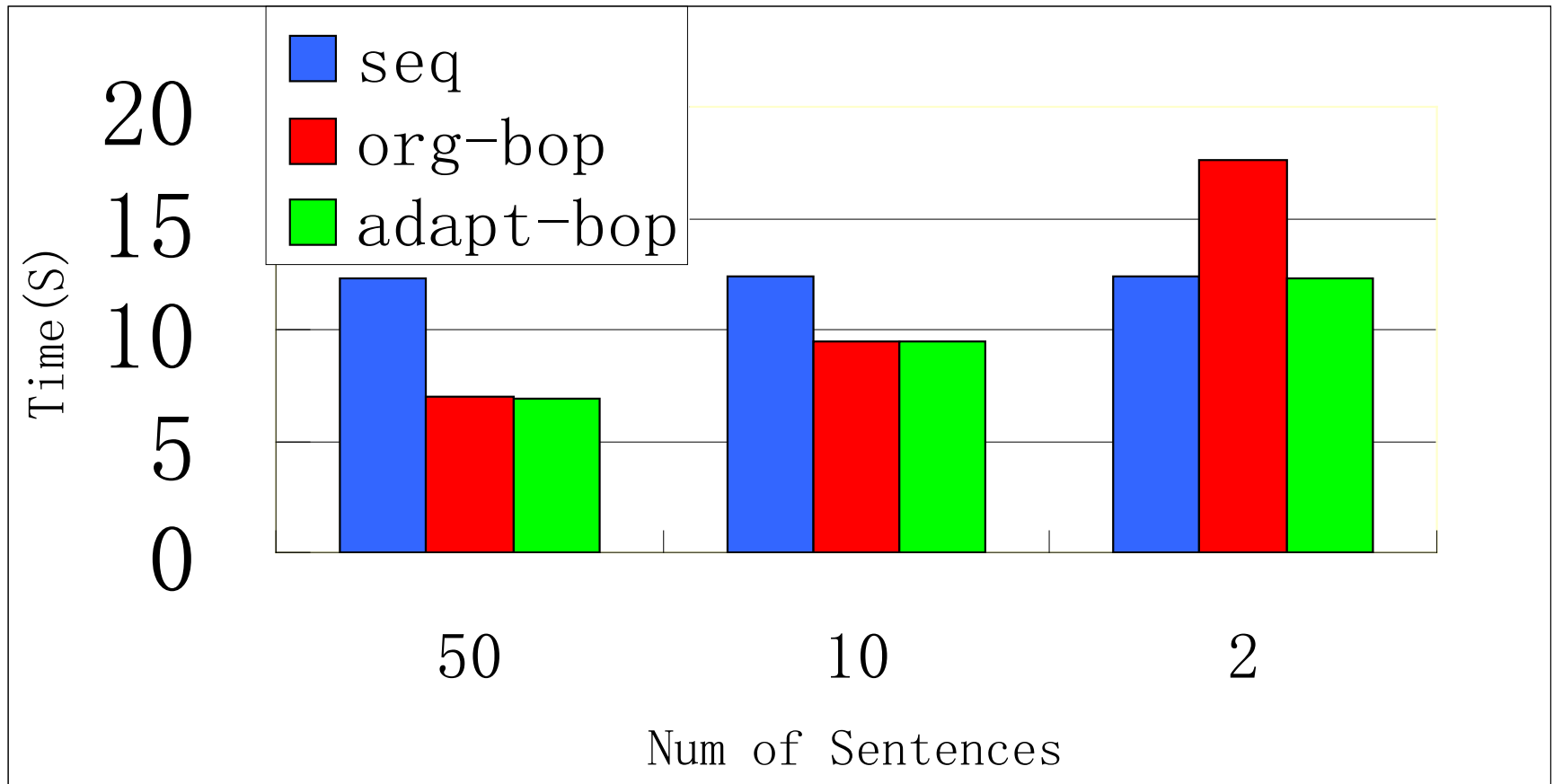
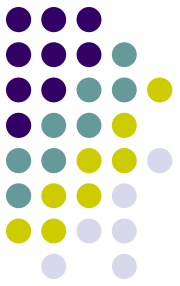




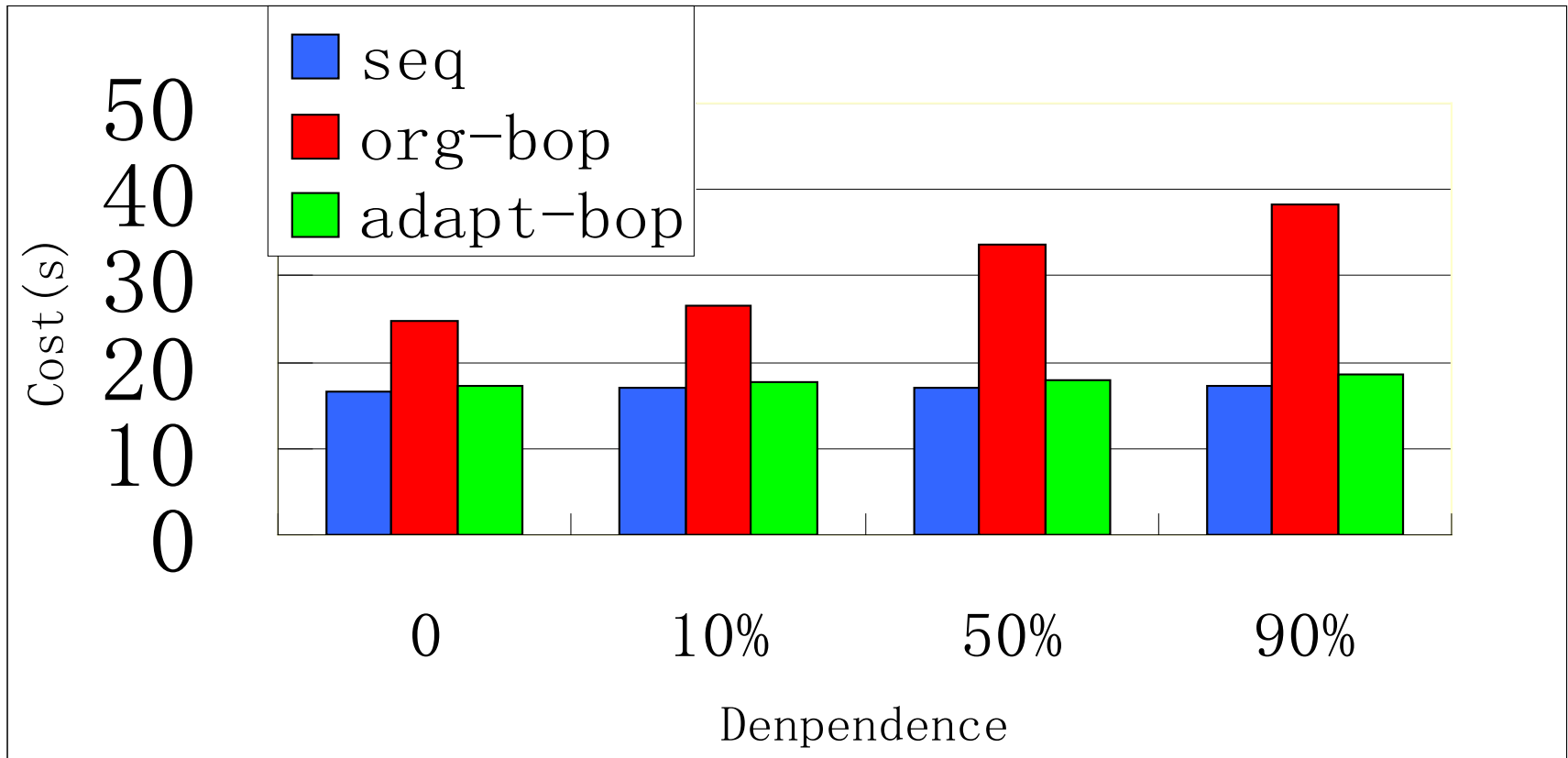
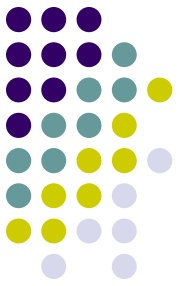
# Efficiency comparison on parser



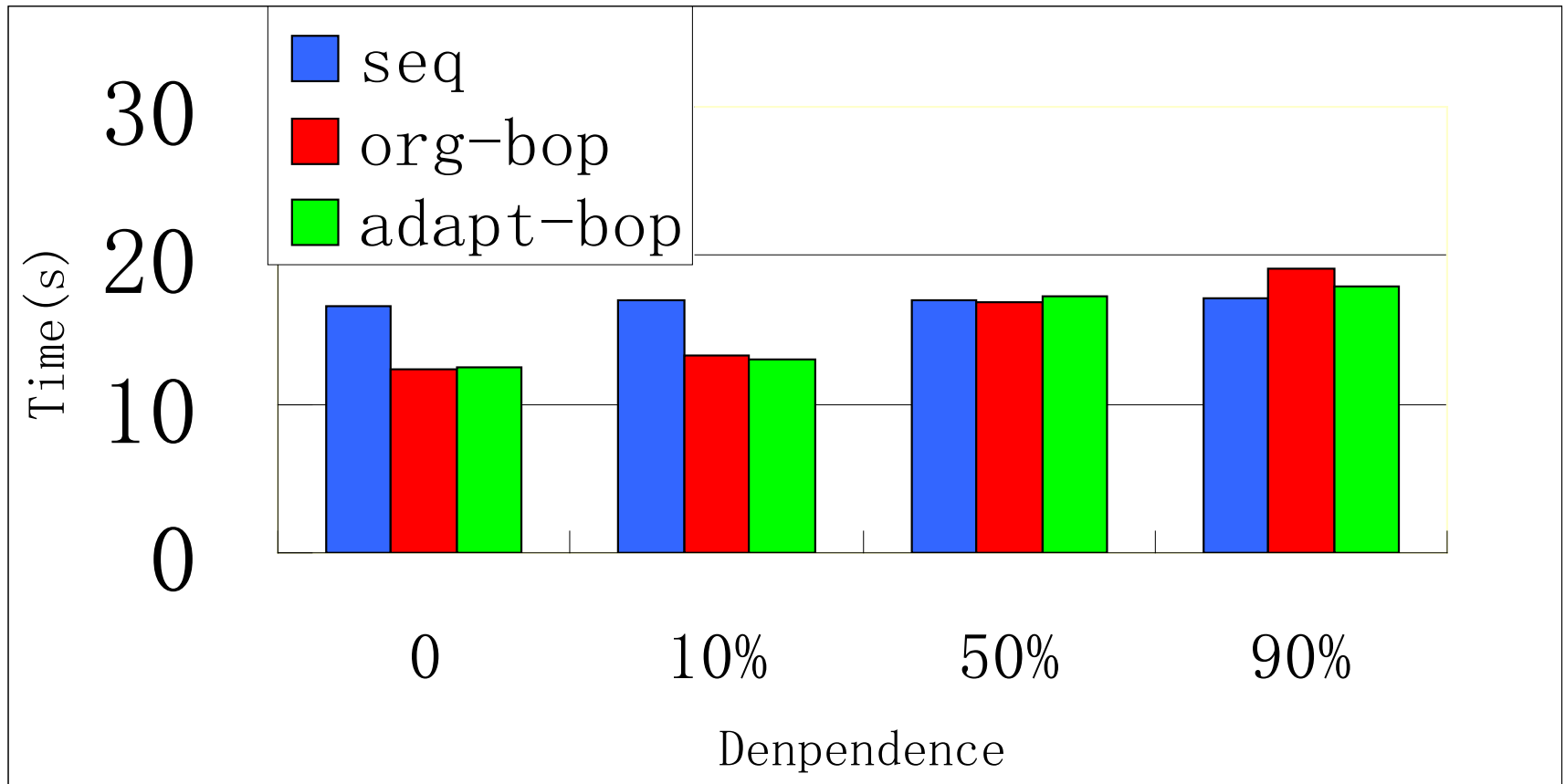
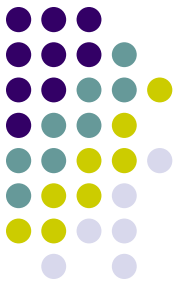
# Efficiency comparison on parser



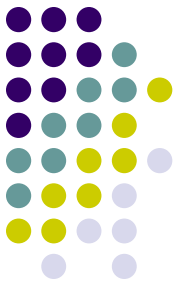
# Efficiency comparison on Reduction



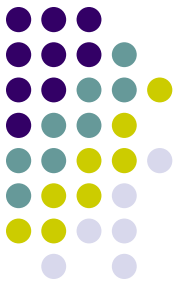
# Efficiency comparison on Reduction



# Outline

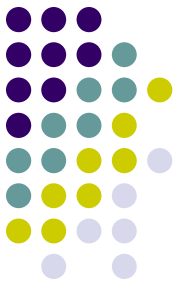


- Introduction to BOP
- Adaptive Algorithms
- Experimental Result
- Conclusion



# Conclusions

- Failed Speculation is a problem
- Two adaptive algorithms
  - Last-value-based prediction
  - Decayed-history-based prediction
- Performance
  - High accurate prediction
  - Keep fast running speed
  - Reduce cost



# Thanks!

# Questions?